

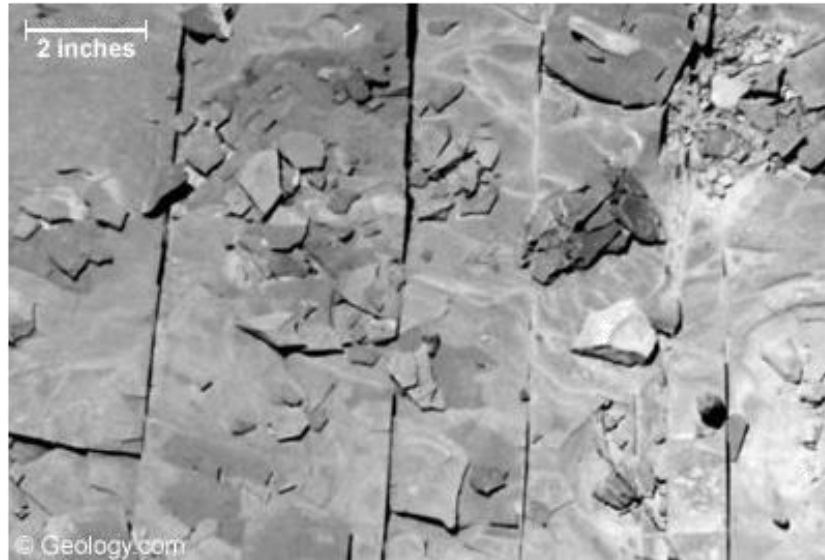
Estimation of Dispersion in Orientations of Natural Fractures from Seismic Data: Application to Discrete Fracture Network Modeling

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Chris K. Zahm



Examples of Fractured Shales

Marcellus shale



Geology.com

Whitby Mudstone (NE England)



Durham University

Plan view

Examples of Fractured Shales

Hanover gray-green shale (NY)



SUNY Fredonia

Utica shale



AAPG (photo taken by Bob Jacobi)

Examples of Fractured Shales

Eagleford shale



FLICKR (photo taken by Aikko Heiwa)

Devonian Black shale



Geology.com

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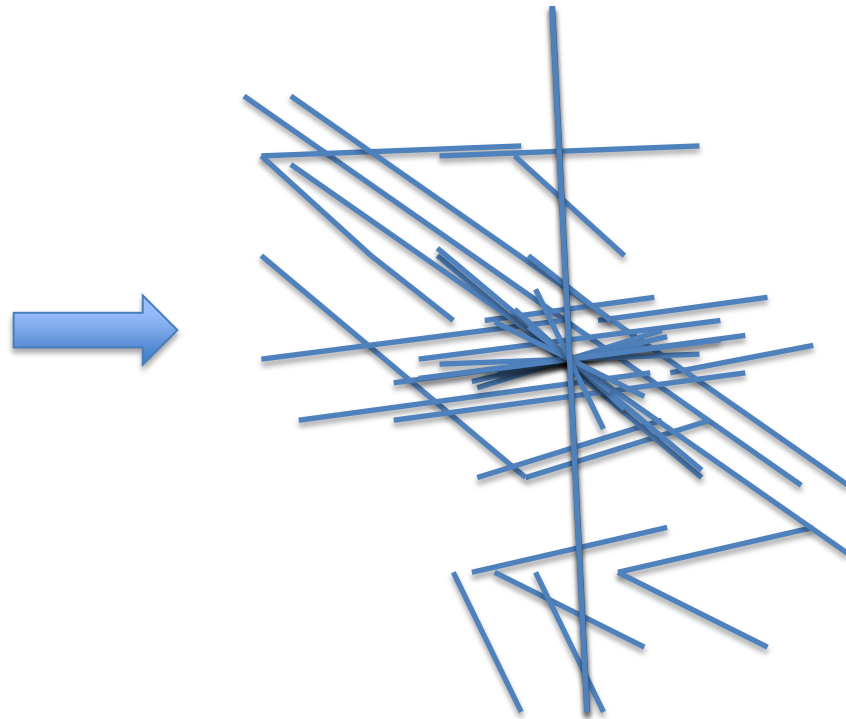
Simple Fracture Interpretation

Hanover gray-green shale (NY)

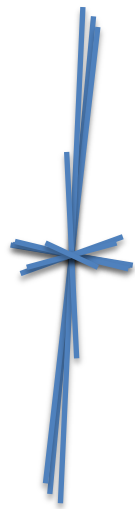


SUNY Fredonia

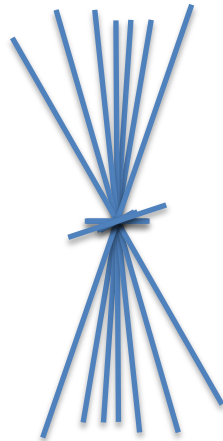
Fracture lengths and orientations



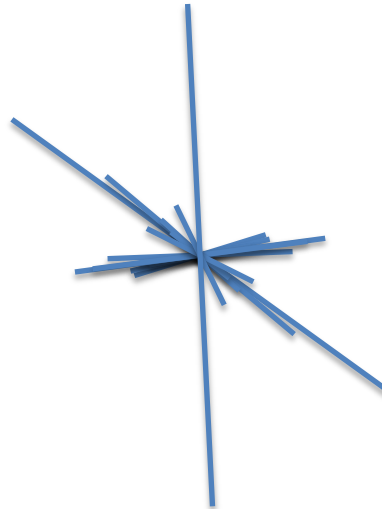
Fracture Lengths and Orientations



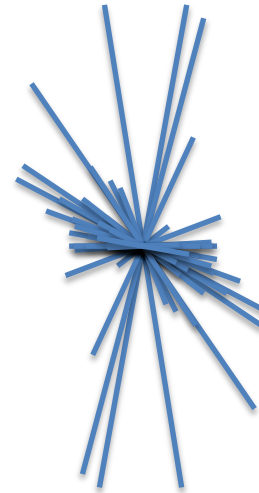
Marcellus



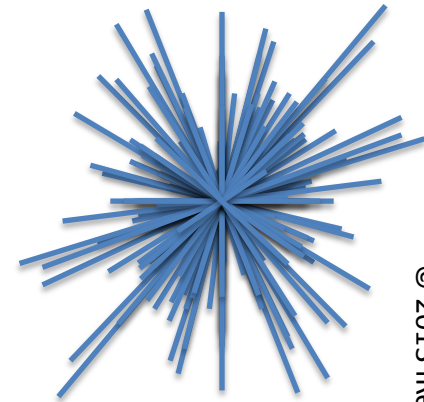
Whitby



Hanover



Utica



Eagleford

→
Increase complexity in fracture geometry

Warning : very qualitative!

Motivation

- Fracture geometry may vary significantly between (and within) shale plays
- Existing natural fractures strongly influence the effectiveness (drainage) of any stimulation program
- Depending on in-situ stress anisotropy and fracture geometry, induced fractures may reactivate, cross, dilate or be arrested by existing natural fractures

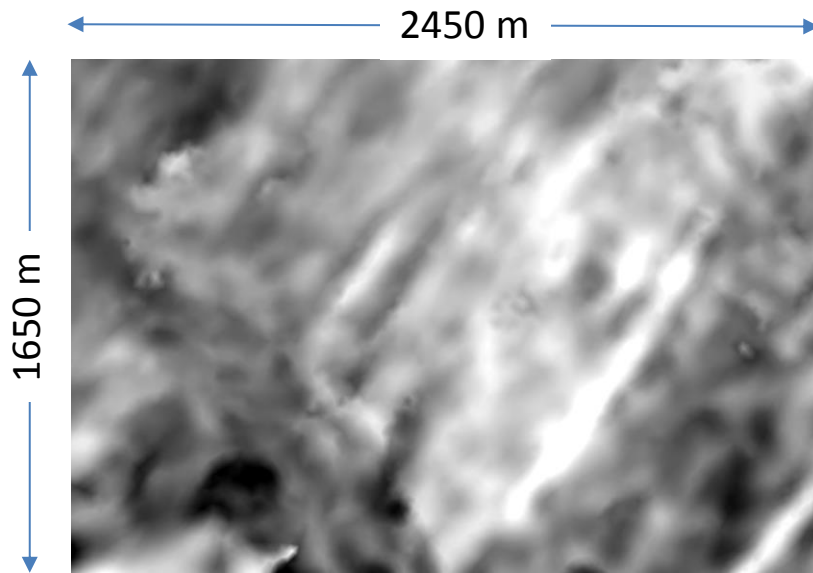
Seismic Scale Fracture Geometry

- Density: number of fractures per unit volume
- Dominant orientation: most frequent orientation in a given volume of rock
- Orientation dispersion: variability of orientations in a given volume (circular variance)

How can we estimate the different components of the fracture geometry from seismic data?

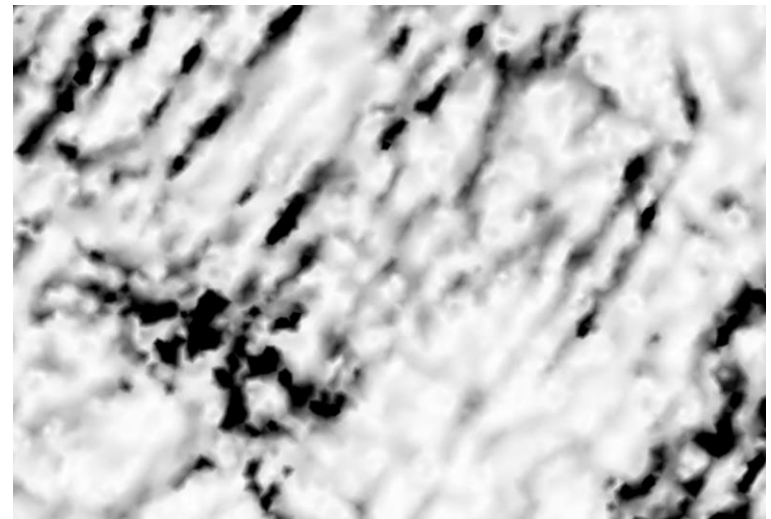
Fracture Geometry: Density

- Typically estimated from structural seismic attributes, azimuthal seismic AVO, or 3C data
- Careful calibration with log derived density information can help select the most appropriate attribute



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N
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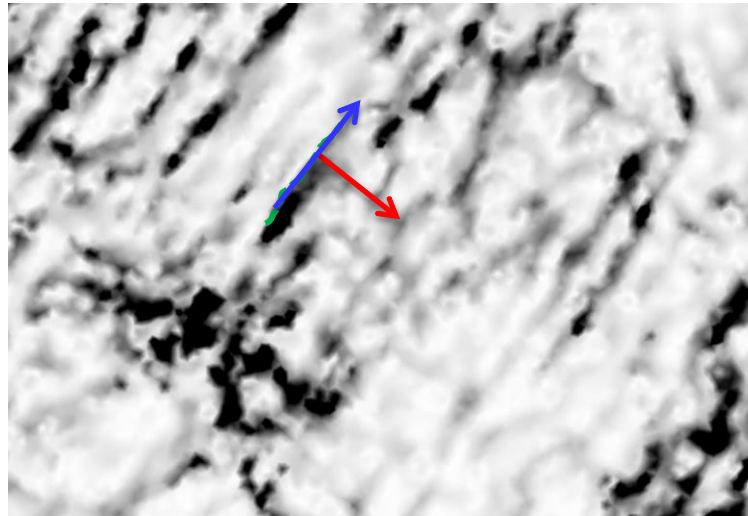
Amplitude



Maximum 3D Curvature

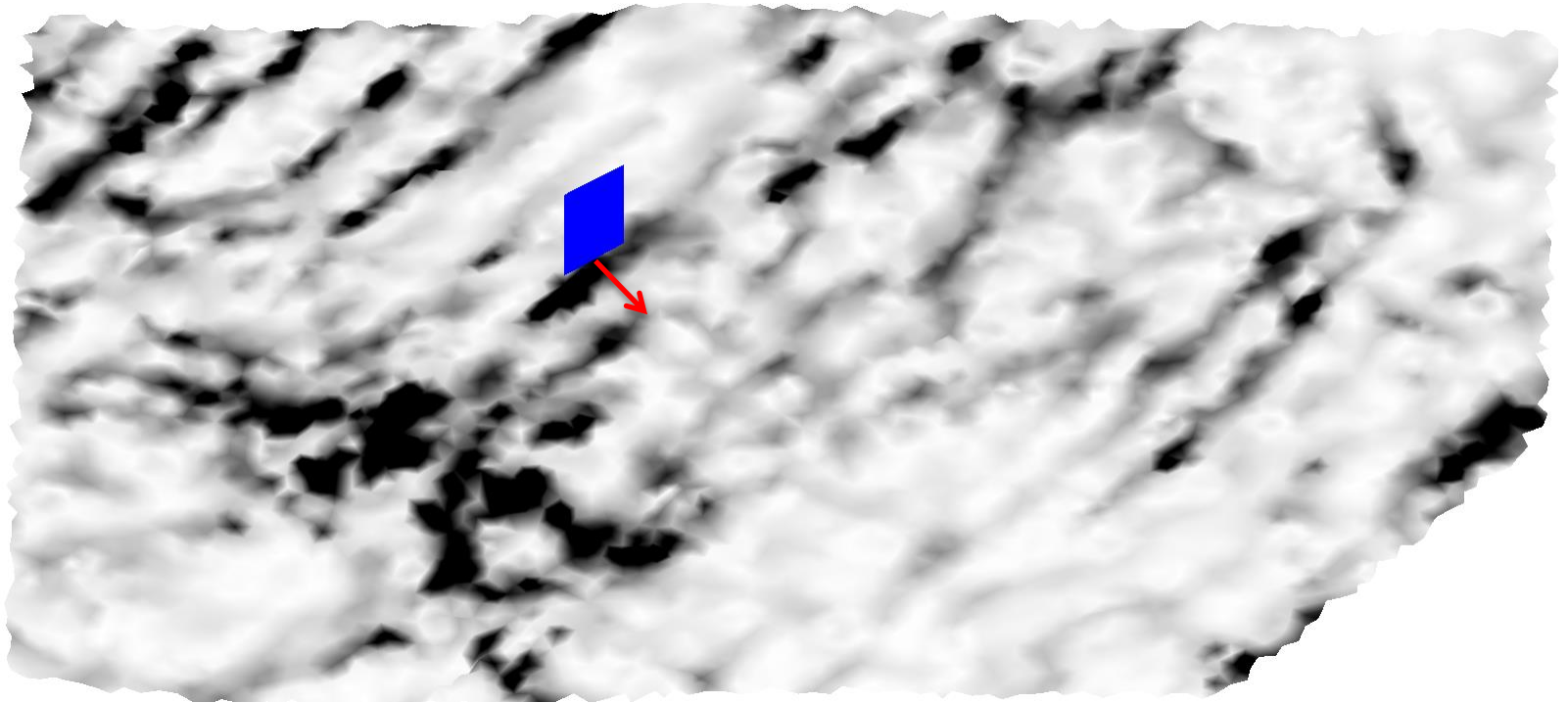
Fracture Geometry: Orientation

- Typically estimated from structural seismic attributes, azimuthal seismic AVO, or 3C data
- We estimate orientations by computing the local gradient on selected structural attributes



Trick: eliminate the direction information by referring all angles to the interval $[0, 180)$ degrees

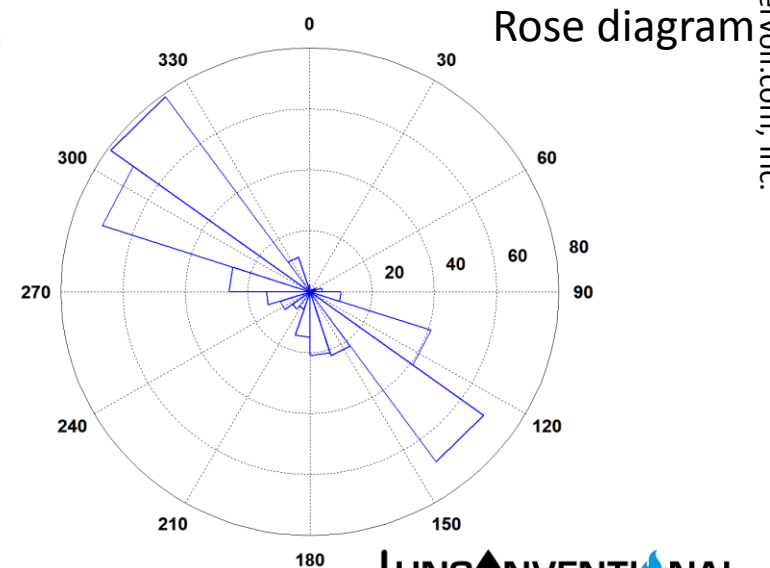
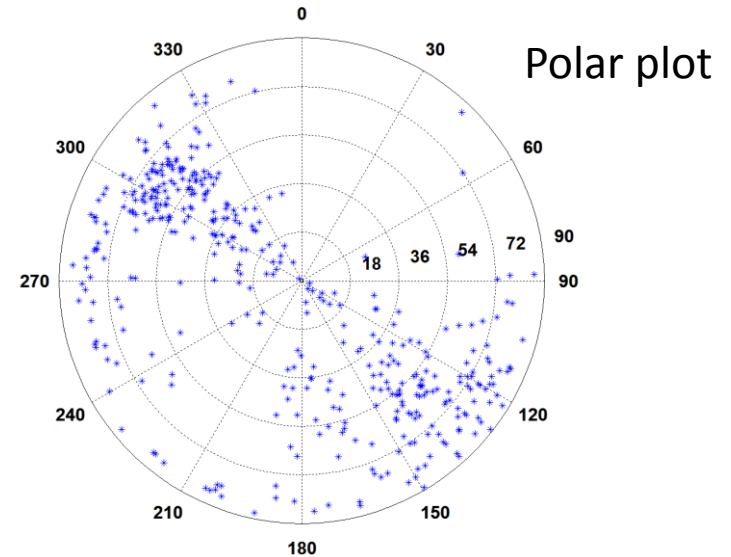
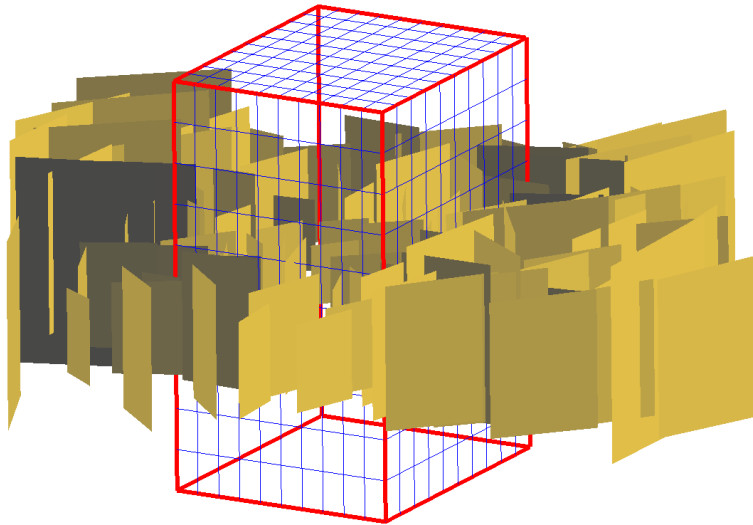
From Curvature to Orientations



Curvature weighted orientation map

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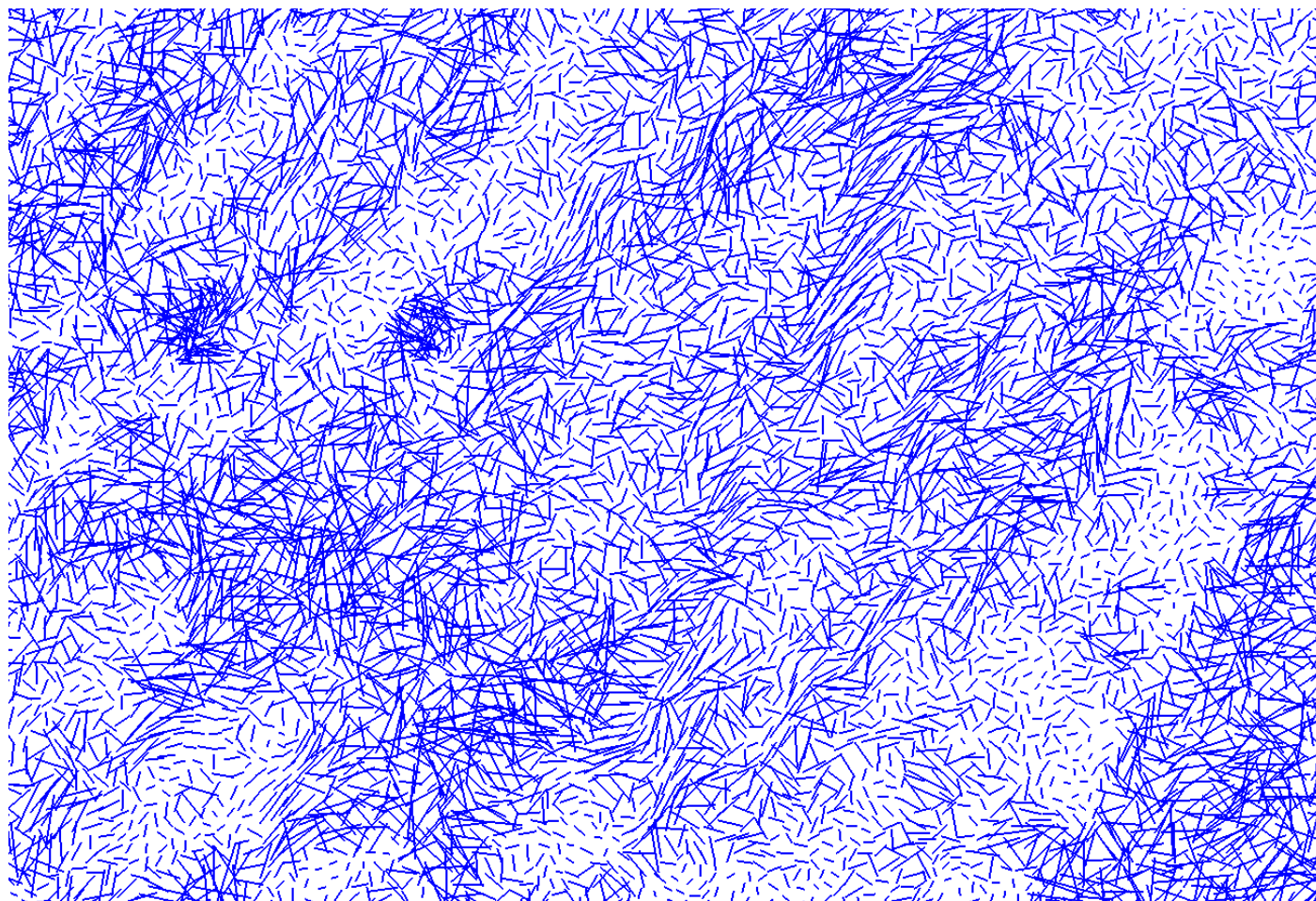
Statistics of fracture angles



Basic fracture statistics:

- ~~Mean~~
- Mode
- Variance

Original Orientations

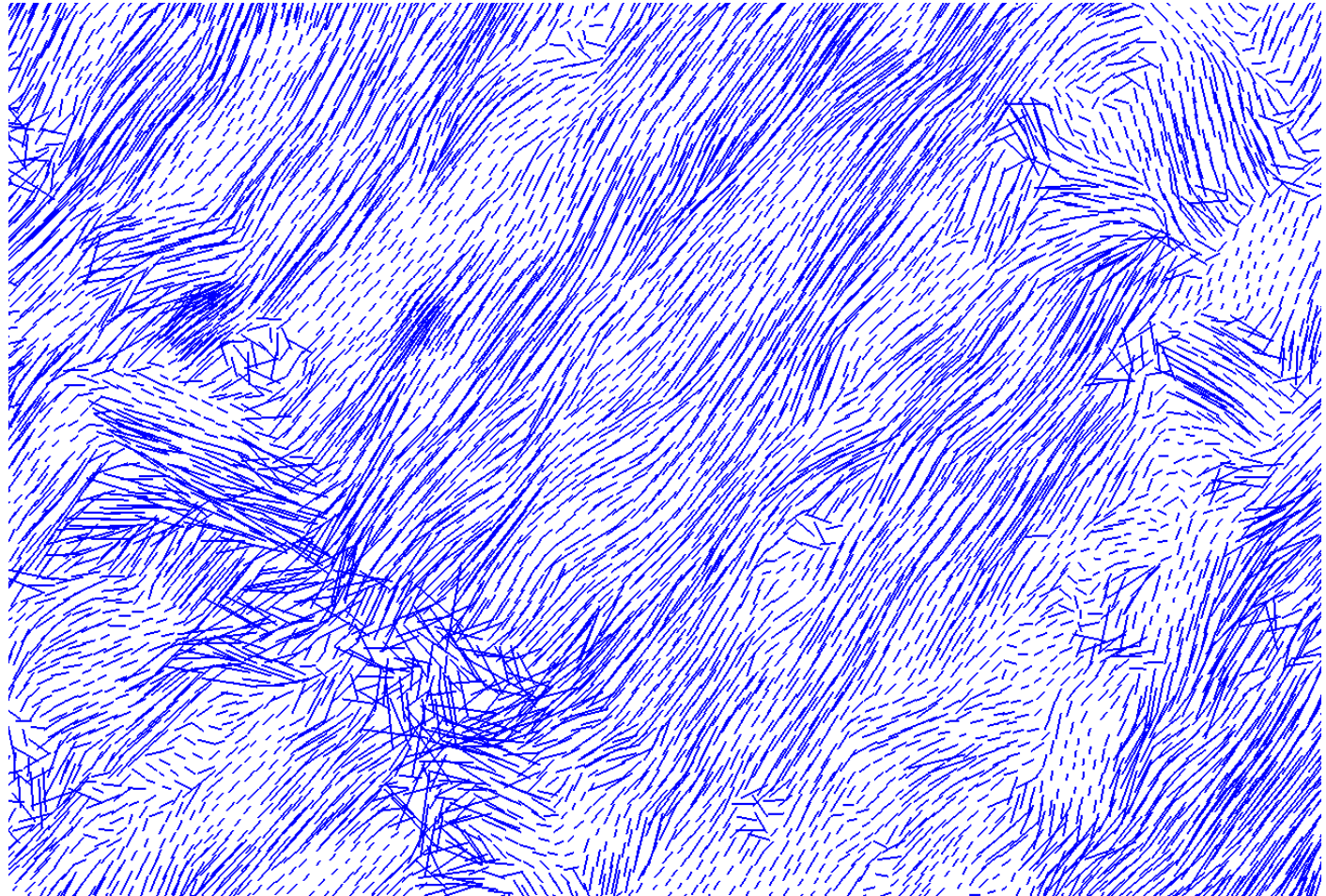


↑
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2450 m

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m 0591

Dominant Orientations



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2450 m

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w 0591

Circular variance

- The circular variance of V of N unit vectors \widehat{U}_n is defined as:

$$V = 1 - R/N \quad \text{where}$$

$$R = \left| \sum_{n=1}^N \widehat{U}_n \right| \quad \text{and} \quad V \in [0,1]$$

- Commonly used in DFN modeling as the Fisher coefficient K

$$K = 1/V \quad \text{where}$$

$$K \in [1, \infty)$$

Circular variance: properties

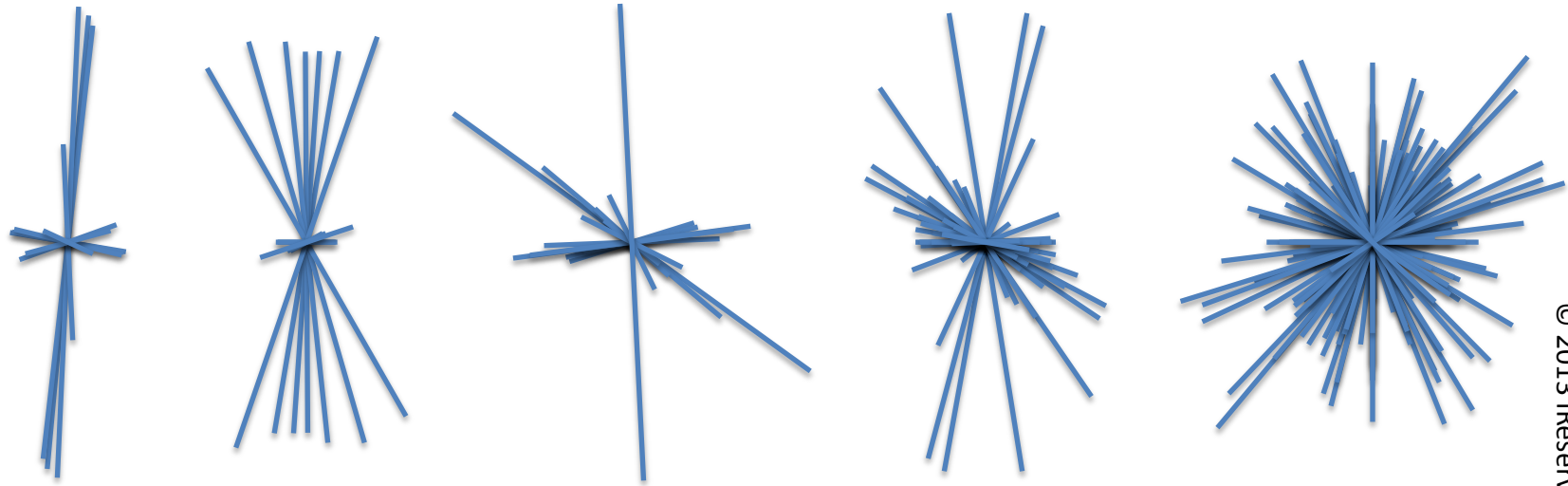
In theory, circular variance is ...

- Intrinsically a 3D, spatially varying parameter
- Designed to measure spread in directions, not orientations
- Dependent on the selection of the origin for angles

In practice, circular variance is typically ...

- Estimated from FMI data along the well path (1D data with sample bias)
- Assumed constant in the interwell region for DFN modeling
- Estimated separately for different fracture groups or families

Fracture Lengths and Orientations



Marcellus

Whitby

Hanover

Utica

Eagleford

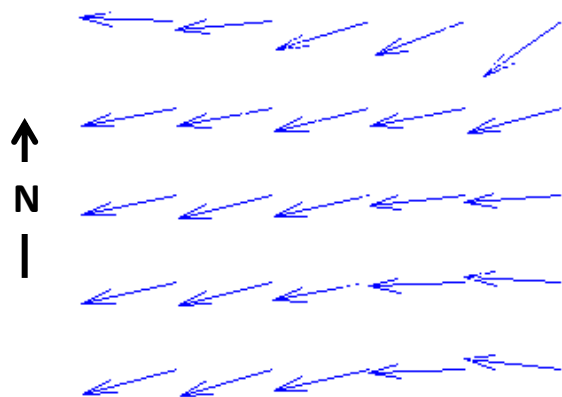
Small Variance,
High Fisher

Large Variance,
Small Fisher

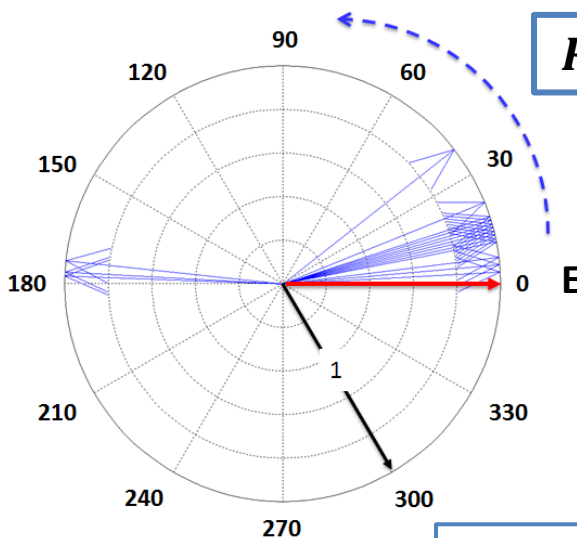
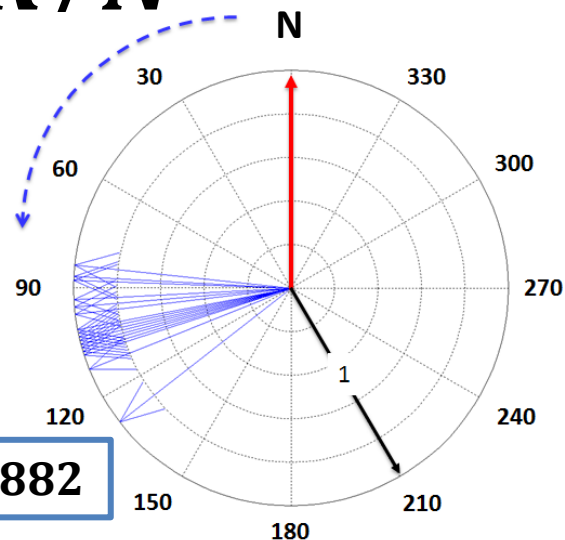
Increase complexity in fracture orientations

Warning : very qualitative!

Estimation of R/N

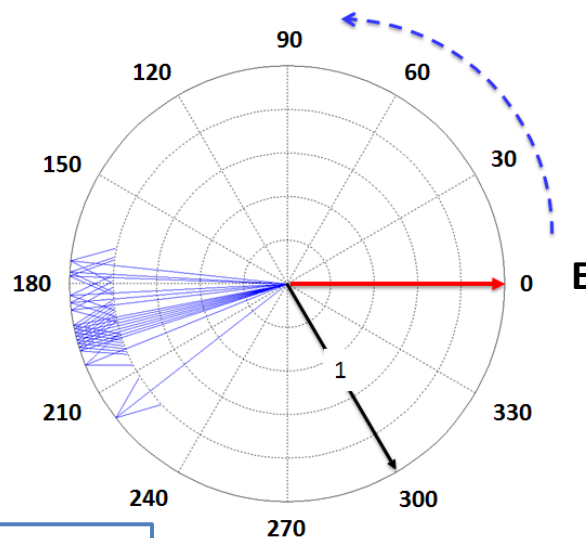


$$R/N = 0.9882$$



$$R/N = 0.6863$$

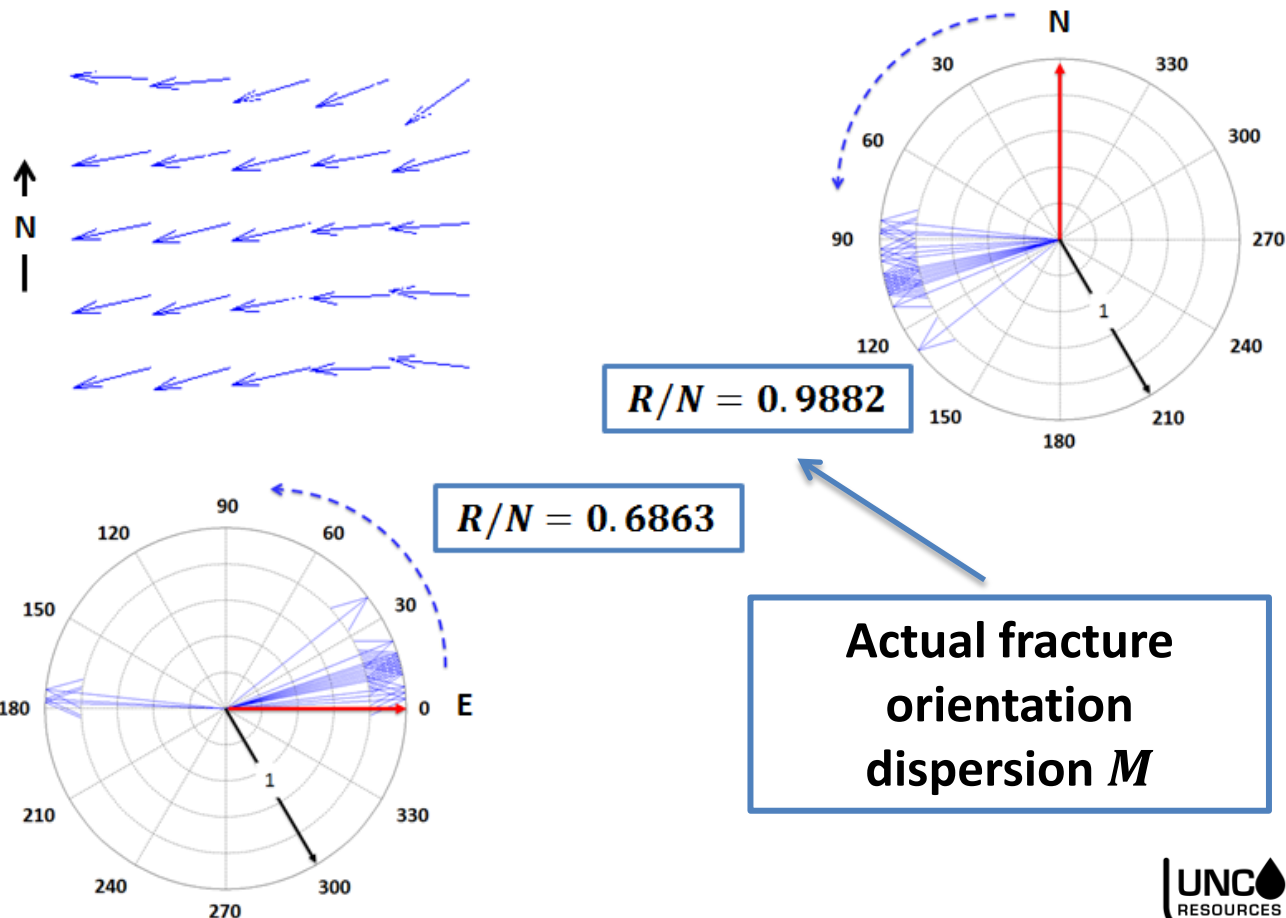
[0,180)
trick



R/N depends on the selection
of the reference axis

Estimation of Fracture Dispersion

- Estimate variance for two orthogonal reference axes and select the maximum



From Dispersion to Fisher Coeff.

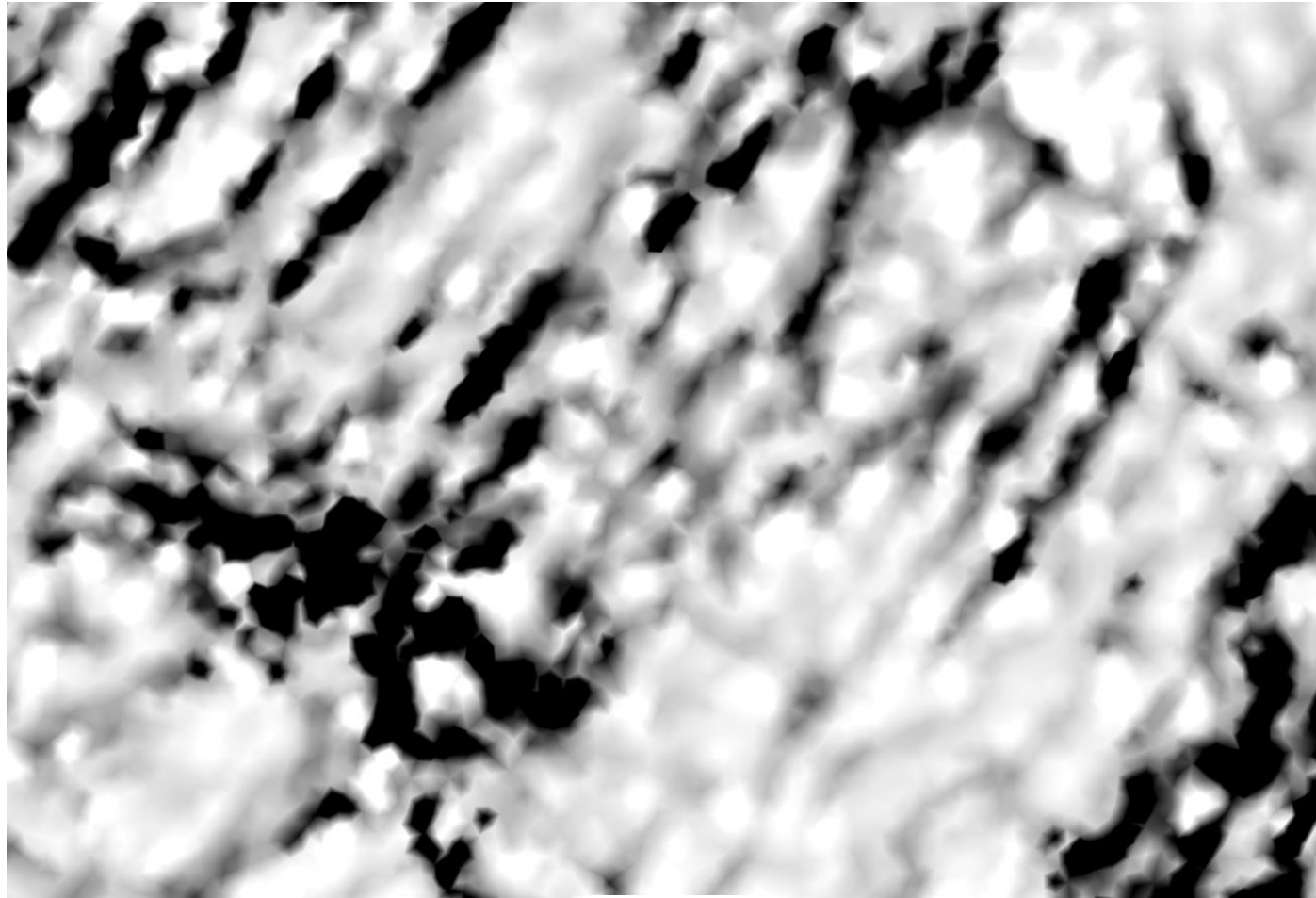
- Limits of orientation dispersion M
 - $2/\pi$ (≈ 0.64) -> random fracture orientations
 - 1 -> constant fracture orientations
- The Fisher coefficient K needed for DFN modeling can be estimated from dispersion M as

$$K = \frac{1 - 2/\pi}{1 - M}$$

$$K \in [1, \infty)$$

From Curvature to Dispersion

Maximum Curvature



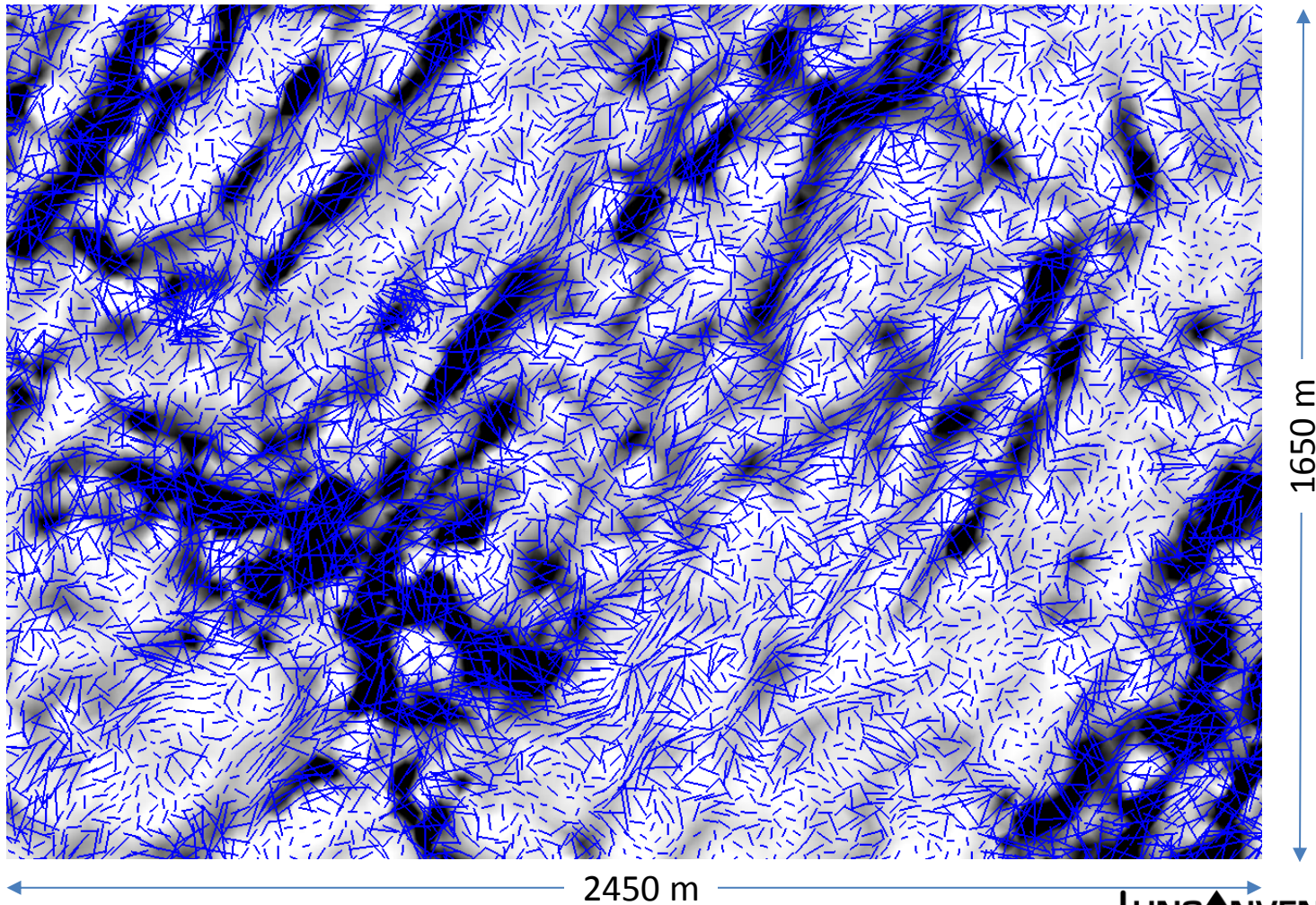
1650 m

2450 m

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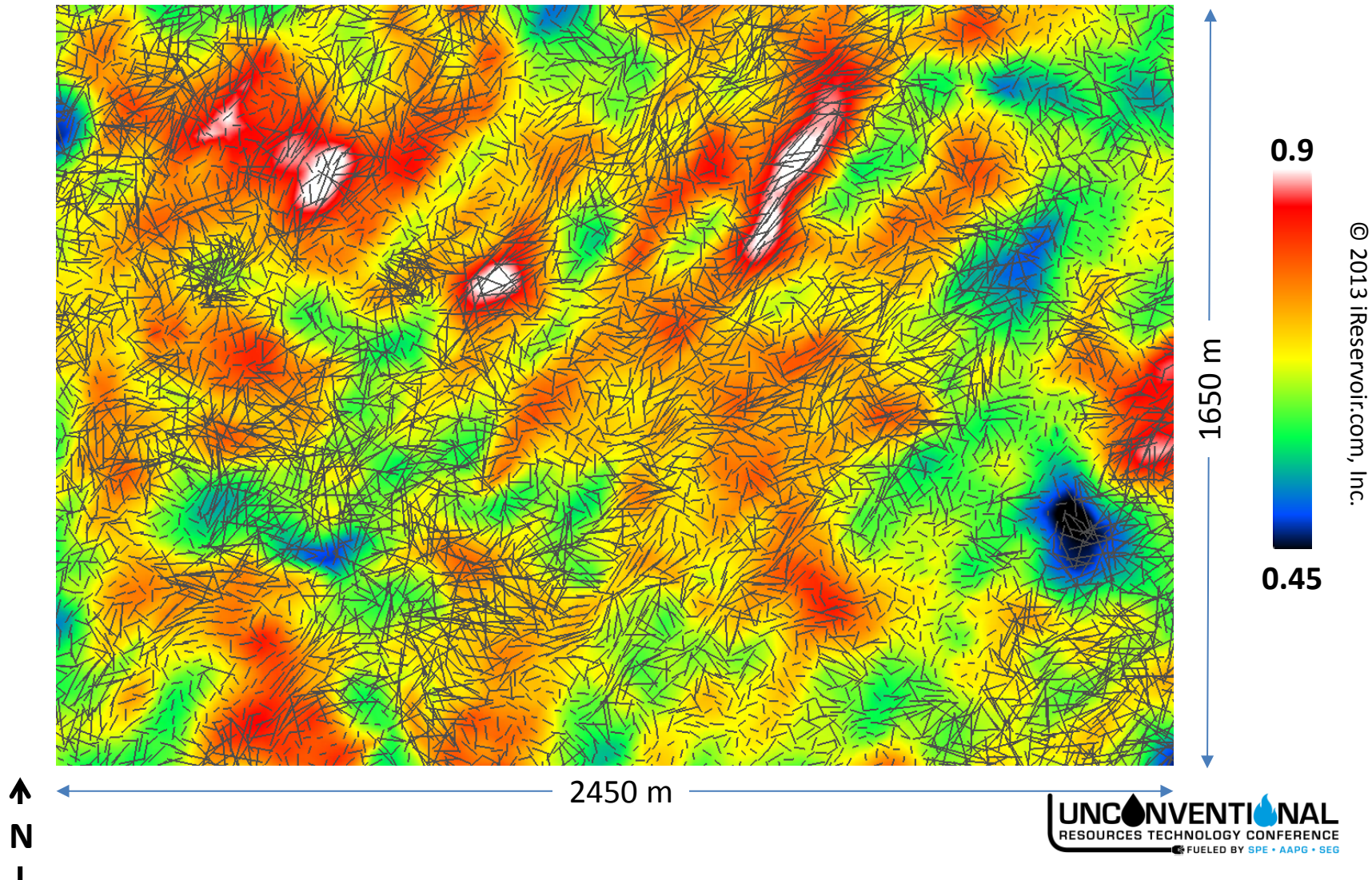
From Curvature to Dispersion

Maximum Curvature and Orientations



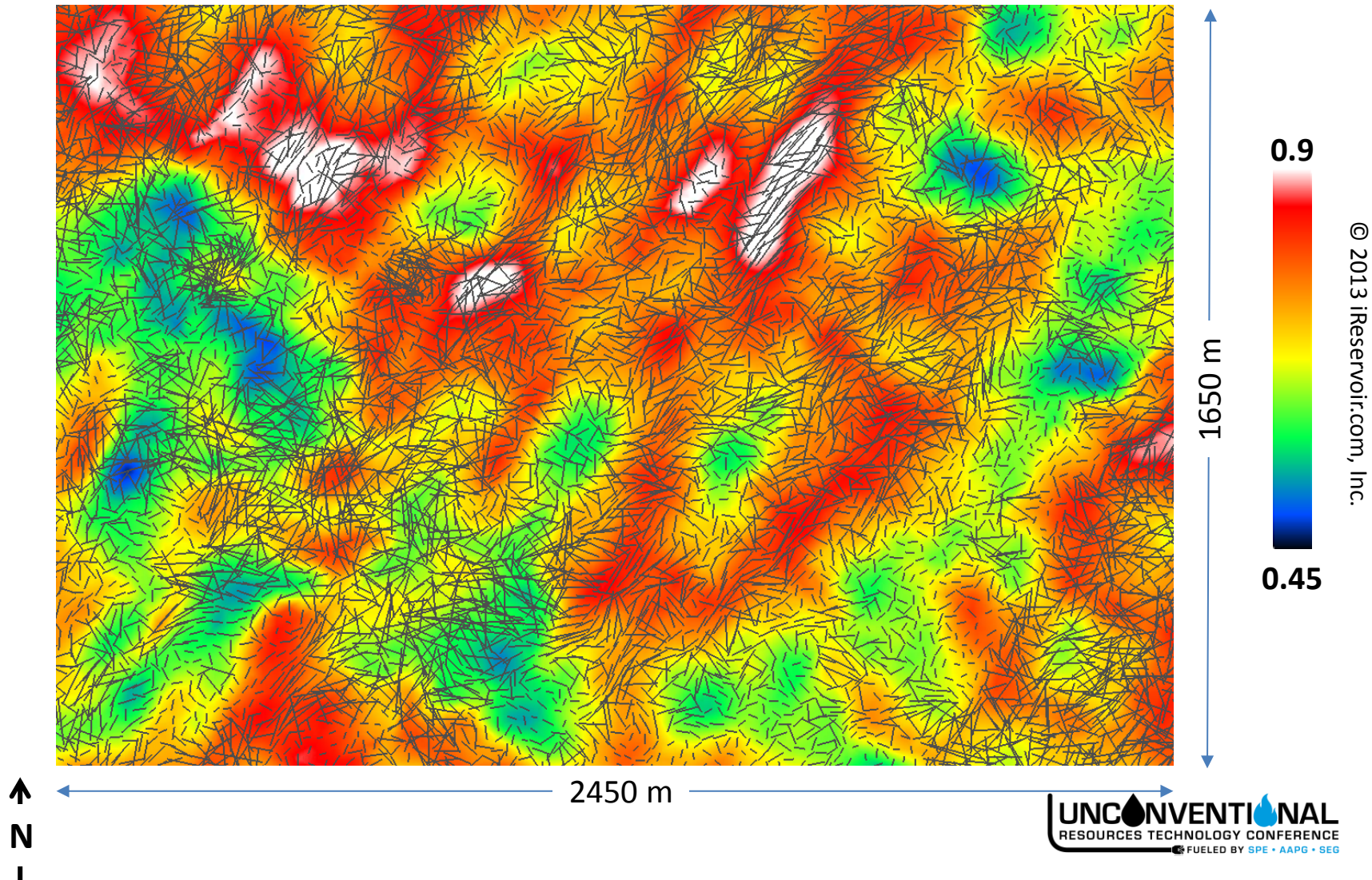
From Curvature to Dispersion

R/N with respect to East



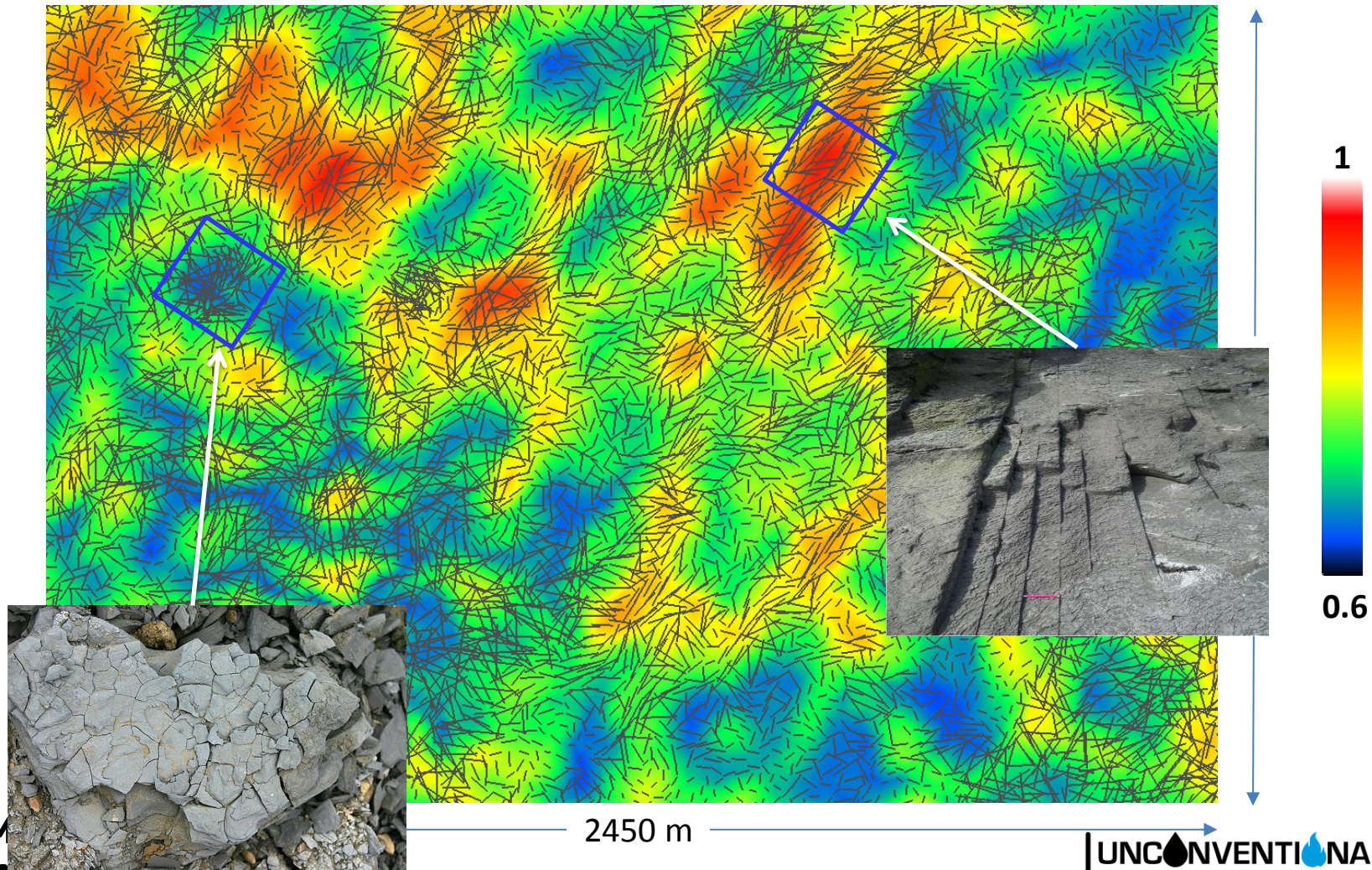
From Curvature to Dispersion

R/N with respect to North



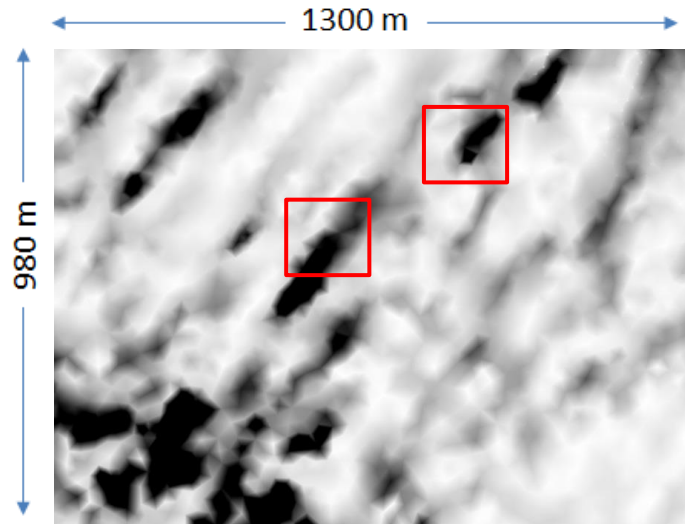
Fracture Dispersion

Maximum of R/N

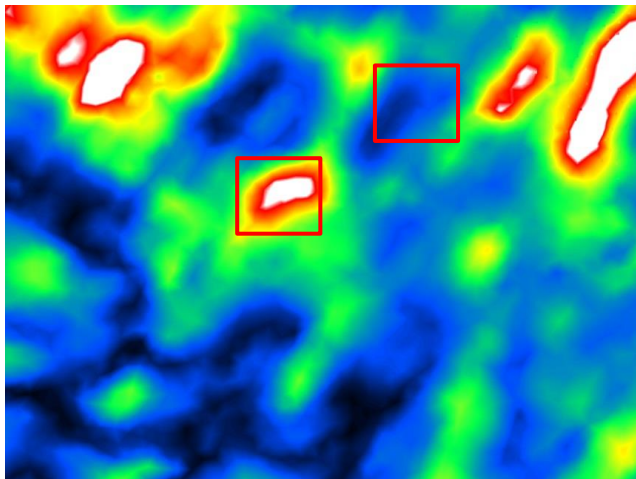


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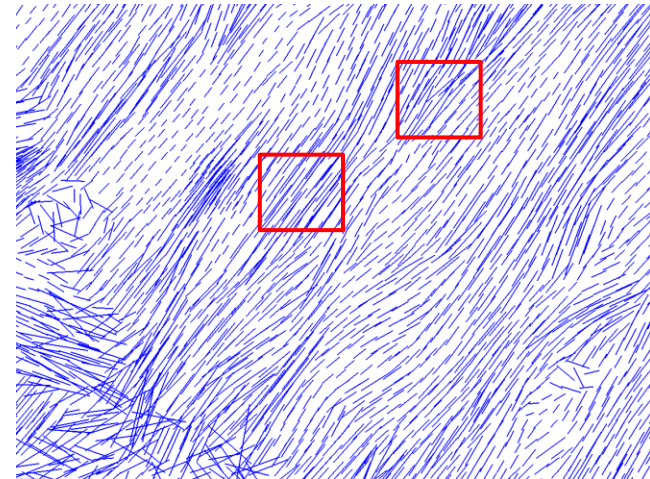
From Seismic to DFN



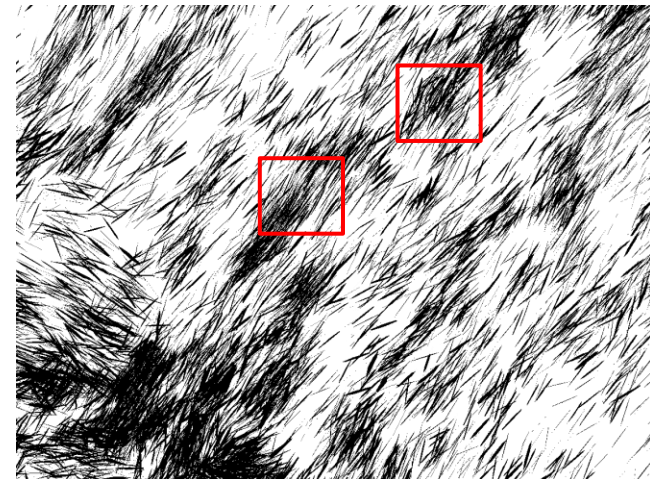
Max Curvature



Fisher Coefficient

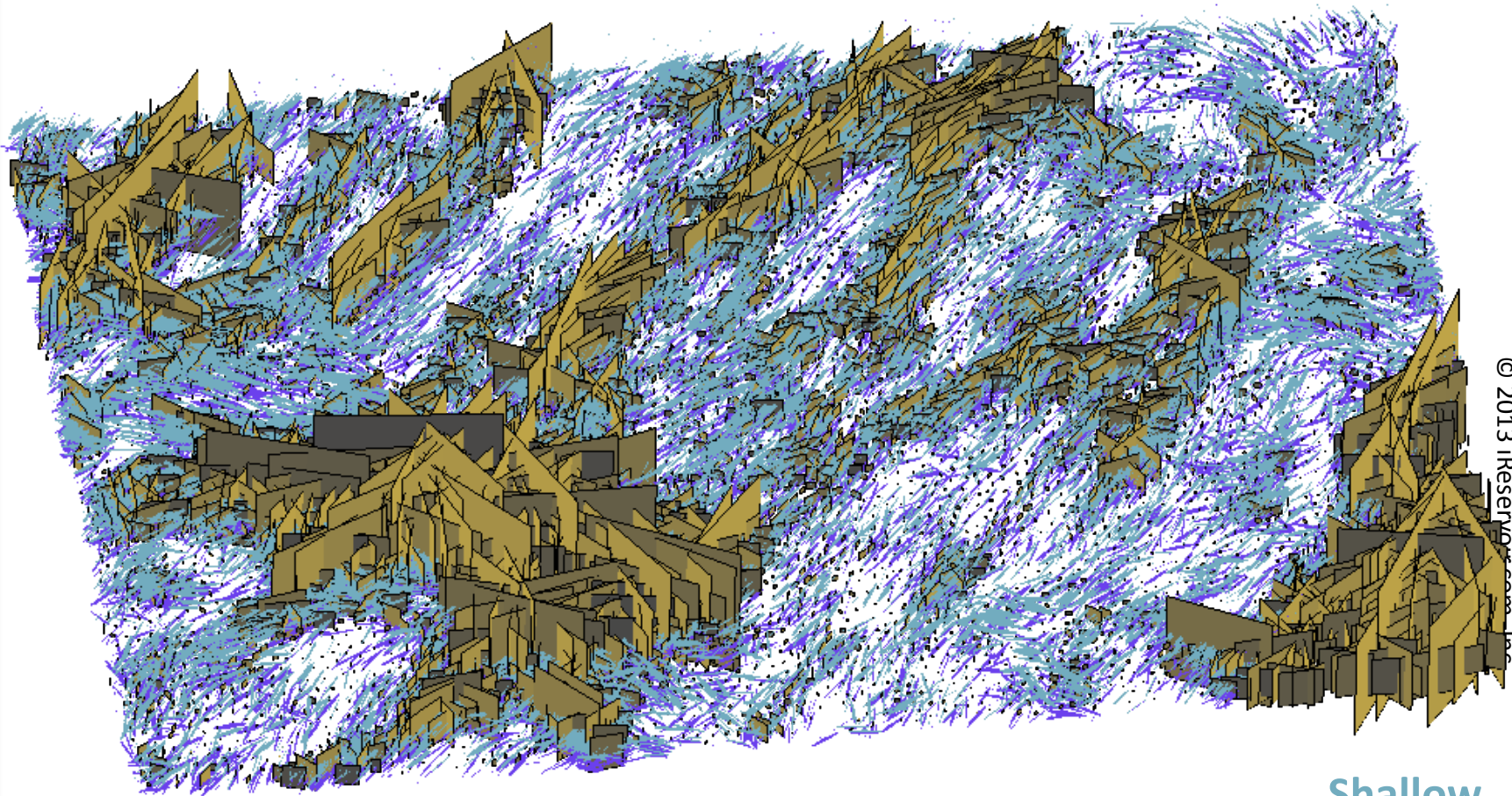


Dominant orientation



Modeled fractures

Seismic constraints & DFN



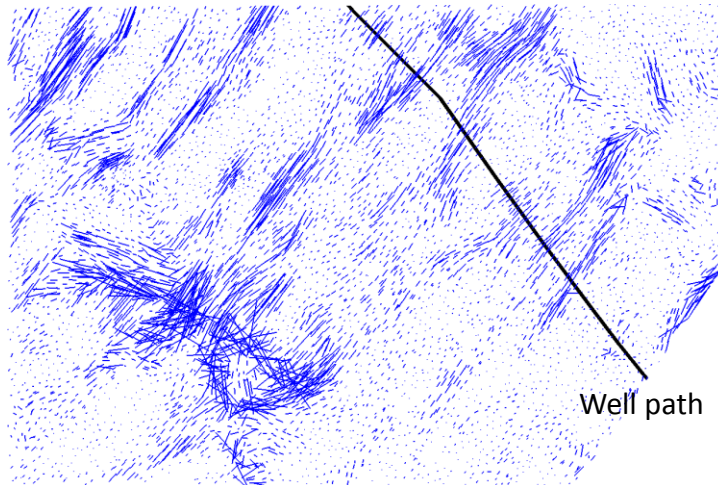
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Shallow
Deep

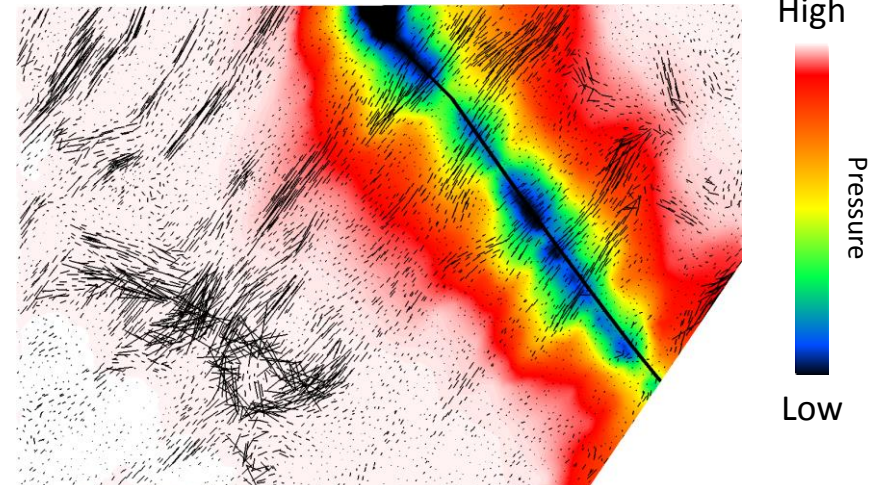
~ 6,000 seismic control points
~ 60,000 DFN fracture planes



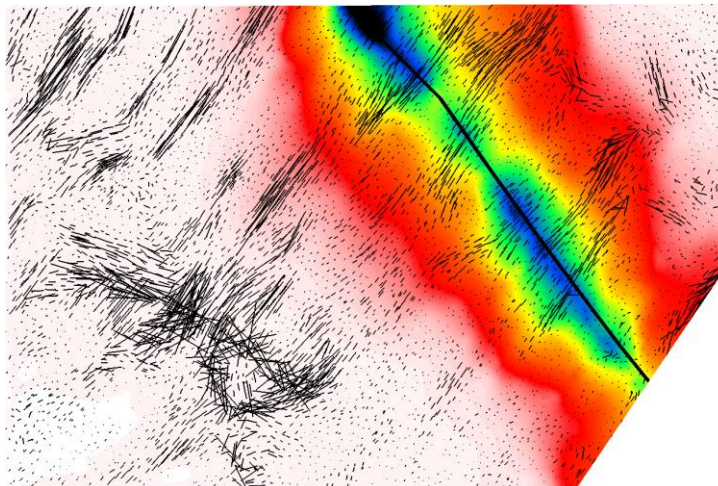
From DFN to Flow Simulation



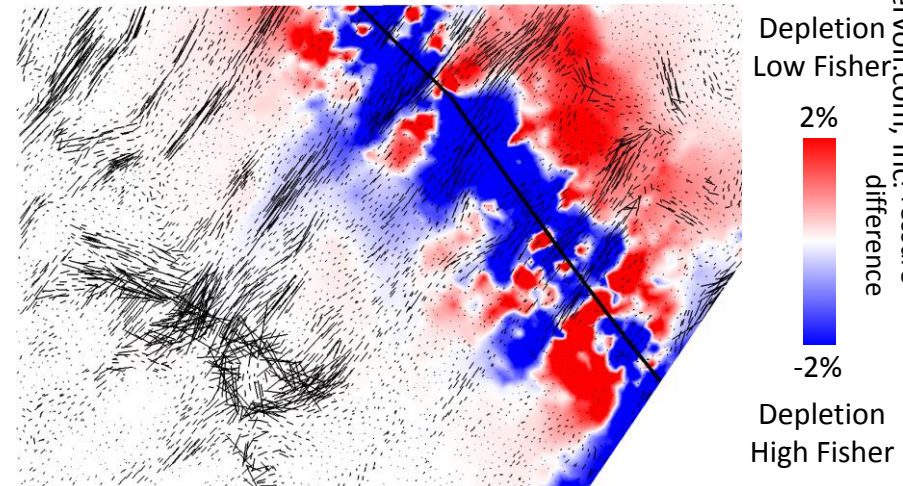
Dominant orientation and density



High Fisher, pressure at 100 days



Low Fisher, pressure at 100 days



Depletion areas (difference)

Conclusions

- Seismic data can help in the characterization of fracture geometry, not only density and orientation but also orientation dispersion
- Orientation dispersion a modified version of the circular variance that is independent of direction
- Density, dominant orientation, and dispersion can be used to constrain DFN modeling
- High and low fracture dispersion flow simulation models show small differences in depletion
- More research is needed to understand the effect of dispersion in hydraulic fracturing as well as other issues such as fracturing scales, calibration with dispersion from log data, and seismic velocity anisotropy